

CBE 40445

9/7/20

"LABOR DAY"

SO FAR WE HAVE EXAMINED
THE BASIC ASPECTS OF
CHEMICAL REACTORS +
REACTION KINETICS

BATCH

$$V \frac{dC_i}{dt} = \nu_i \tau V$$



$$\frac{dC_A}{dt} = -k C_A$$

PFR

$$\frac{dF_i}{dV} = \nu_i \tau$$

$$\tau = \frac{V}{Q}$$



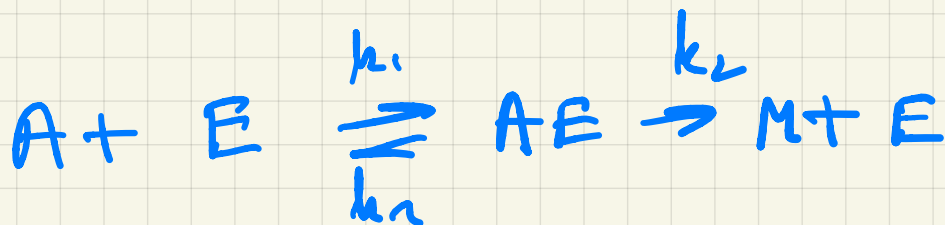
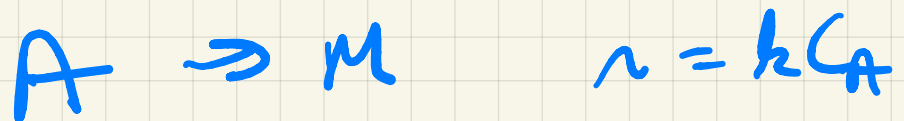
$$\frac{dC_A}{d\tau} = -k C_A$$

CSTR

$$\begin{aligned} 0 &= F_{A0} - F_A - r_A V \\ &= q C_{A0} - q C_A - k C_A V \end{aligned}$$

$$\frac{C_A}{C_{A0}} = \frac{1}{1 + k\tau}$$

KINETICS



$$r = - \frac{k_1 k_2 C_A C_E^0}{k_1 C_A + k_2 + k_{-1}}$$

COULD BE 0 ORDER: $k_1 C_A \gg k_2 + k_{-1}$

OR 1ST ORDER $k_1 C_A \ll k_2 + k_{-1}$

FOR SIMPLE CASES, A LINEAR PLOT
COULD PROVIDE A REASONABLE VALUE
FOR h ,

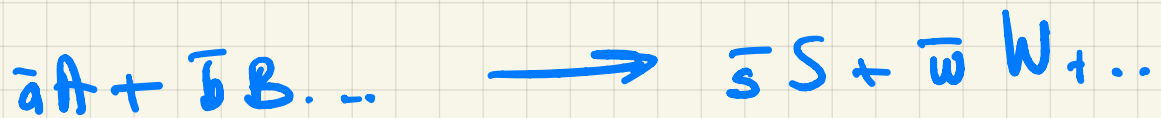
OTHERWISE ... NONLINEAR FITTING.

(NOT TO FORGET) THE THERMODYNAMICS

$$\Delta G^\circ = -RT \ln K_a$$

$$K_a = \left(\frac{X_M^m X_N^n}{X_A^a X_B^b} \right) \left(\frac{\phi_M^m \phi_N^n}{\phi_A^a \phi_B^b} \right) \left(\frac{p}{p_0} \right)^{m+n-a-b}$$

A "COMPLICATION" THAT HAS NOT YET BEEN ADDRESSED



SUPPOSE # MOLES IS NOT SAME FOR BOTH REACTANTS + PRODUCTS...

DEFINE "ε" (IN TERMS OF LIMITING REACTANT, SAY 'A')

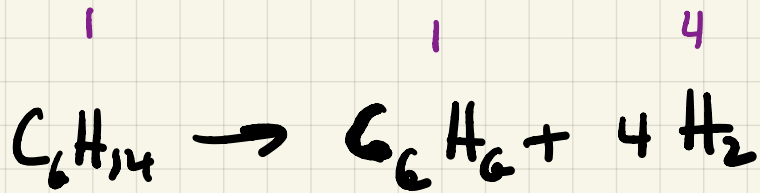
$$n_{\text{TOTAL}} = n_{\text{TOTAL}}^{\circ} (1 + \sum_A f_A)$$

$$\epsilon_A = \frac{\text{MOLES PRODUCTS}}{\text{MOLES OF REACTANTS}}$$

$$= \frac{n_A^{\circ}}{n_{\text{TOTAL}}^{\circ}} \frac{\sum_i \nu_i}{|\nu_A|}$$

ONLY AN ISSUE FOR GAS PHASE

Ex:



$$\epsilon_T = \frac{4+1-1}{1-1} = 4$$

BATCH

→ CONST P → V INCREASES

$$P = P^0 (1 + \epsilon_T f_T)$$

CONST V → P INCREASES

$$V = V^0 (1 + \epsilon_T f_T)$$

FLOWING
SYSTEM

→ q INCREASES

$$q = q^0 (1 + \epsilon_T f_T)$$

1 OTHER HOUSEKEEPING ITEM

DON'T ALWAYS BELIEVE WHAT YOU READ.



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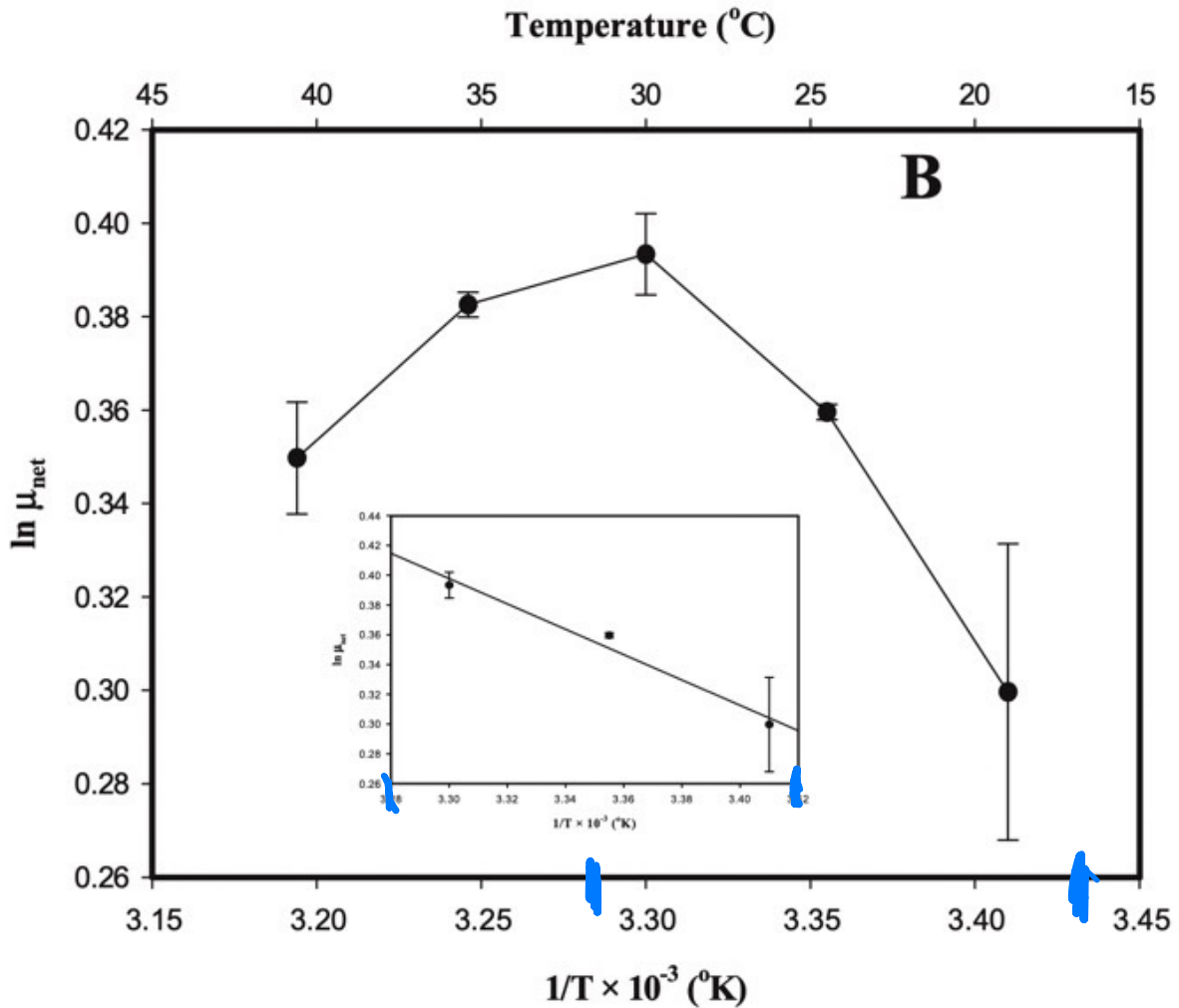


Cell growth kinetics of *Chlorella sorokiniana* and nutritional values of its biomass



Kanhaiya Kumar, Chitralkha Nag Dasgupta, Debabrata Das*

Department of Biotechnology, Indian Institute of Technology Kharagpur, Kharagpur 721302, West Bengal, India



Thermostable α -amylase and α -galactosidase production from the thermophilic and aerobic *Bacillus* sp.JF strain

Fengxie Jin *, Yao Li, Chunzhi Zhang, Hongshan Yu

Department of Food Science and Biotechnology, Dalian Institute (College) of Light Industry, Baoding-jie No. 2, Zhongshan-qu, Dalian 116001, People's Republic of China

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strate is expressed by the Lineweaver–Burk relationship as shown in Fig. 3. The experiment data produce a single straight line (Fig. 3), and so the cell growth can be described by the model of Monod [8,11]. When the constants were calculated using the experiment data, the μ_{\max} was 0.084 (1/h), the K_s was 22.1 (g/l), i.e. the specific growth rate μ is

$$\mu = \frac{\mu_{\max} S}{K_s + S} = \frac{0.084 S}{22.1 + S} \quad (1)$$

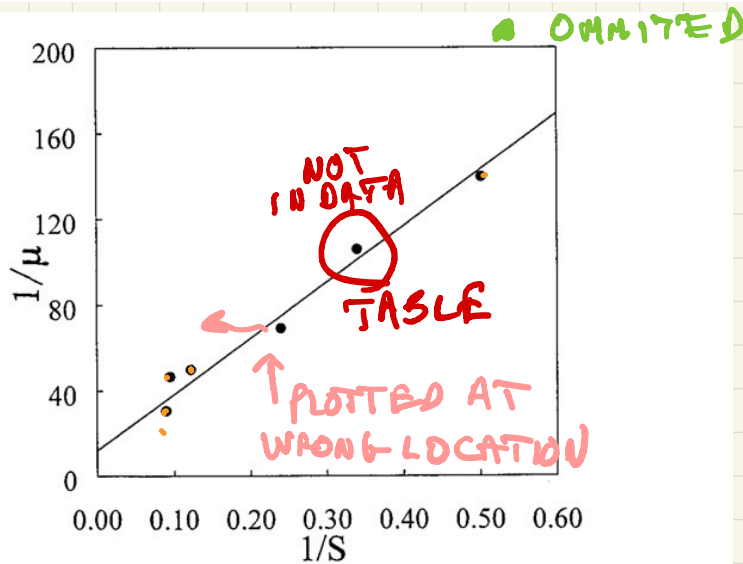
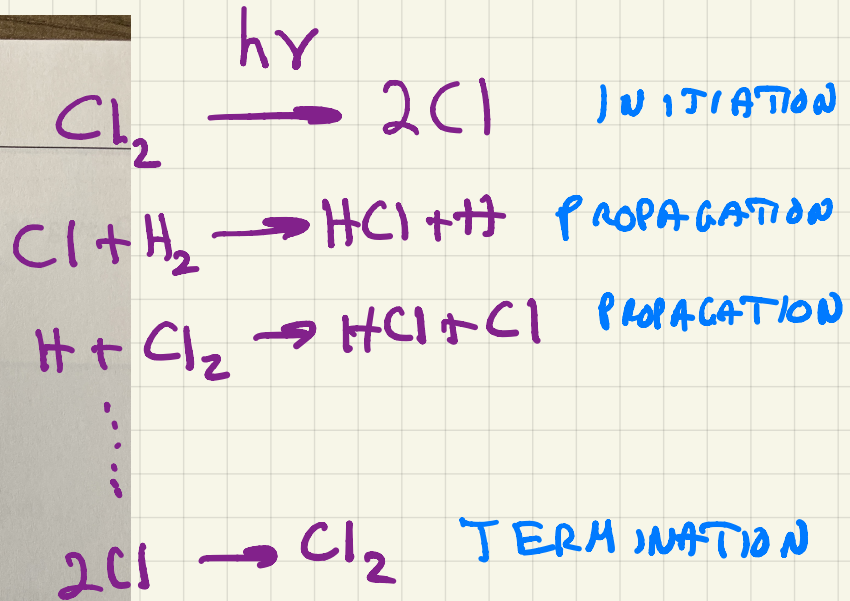
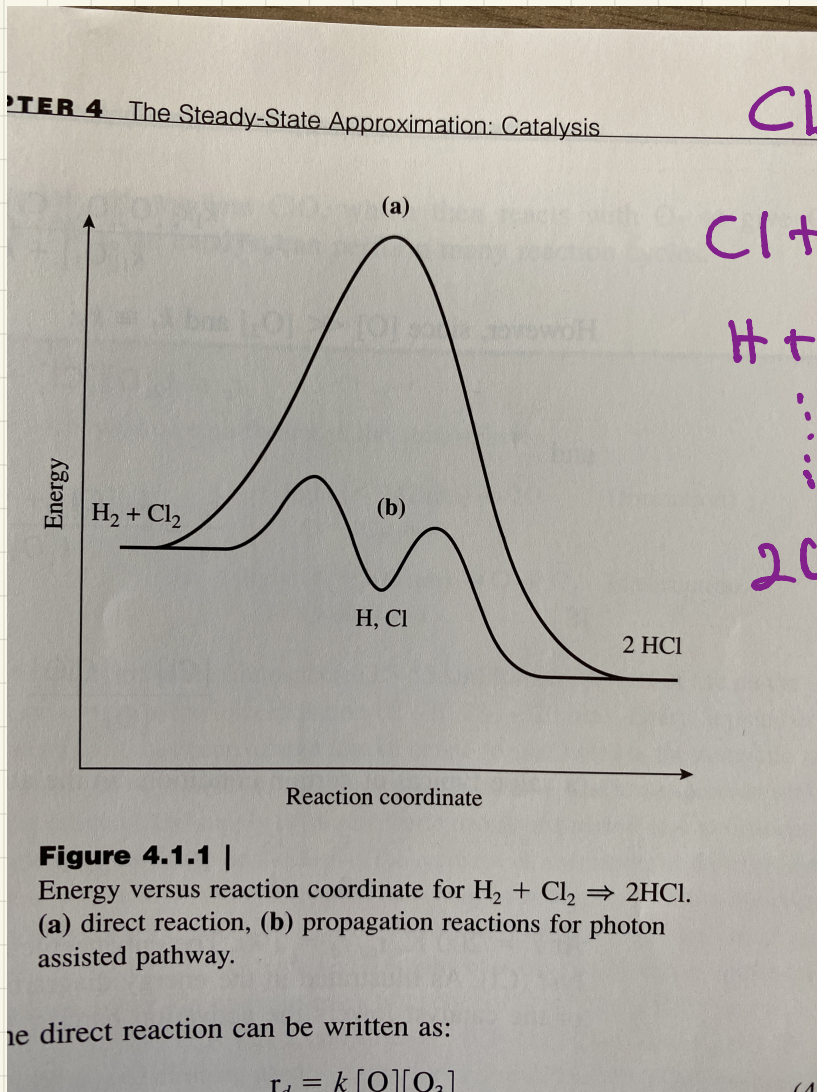


Fig. 3. Lineweaver–Burk on cell growth to substrate. ●, experiment point. Batch culture at 60°C in 30 l fermentor.

Fermentation time (h)	Total sugar (g/l)	Reducing sugar (g/l)	Cells (g/l)
0	11.8	2.01	0.155
2	11.6	1.99	0.162
4	10.9	1.18	0.168
6	9.74	1.87	0.192
10	9.16	1.76	0.216
16	5.80	1.40	0.236
22	2.12	1.27	0.256
28	1.92	0.43	0.258
31	1.74	0.36	0.260
36	1.73	0.32	0.262
47	1.40	0.26	0.267
52	1.36	0.24	0.268

CHAPTER 4

(MORE DETAILED) EXAMINATION OF MULTI-STEP (CATALYTIC) REACTIONS



OZONE DECOMPOSITION

At $T = 200 \text{ K}$, $k_c/k_d = 10^6$. The catalyst (Cl). As illustrated in the energy diagram shown in Figure 4.1.2, the Cl catalyst first reacts with O to form ClO, and the ClO catalyst then reacts with O₃ to form O₂ and Cl. The Cl catalyst first reacts with O to form ClO, and the ClO catalyst then reacts with O₃ to form O₂ and Cl. The Cl catalyst first reacts with O to form ClO, and the ClO catalyst then reacts with O₃ to form O₂ and Cl.

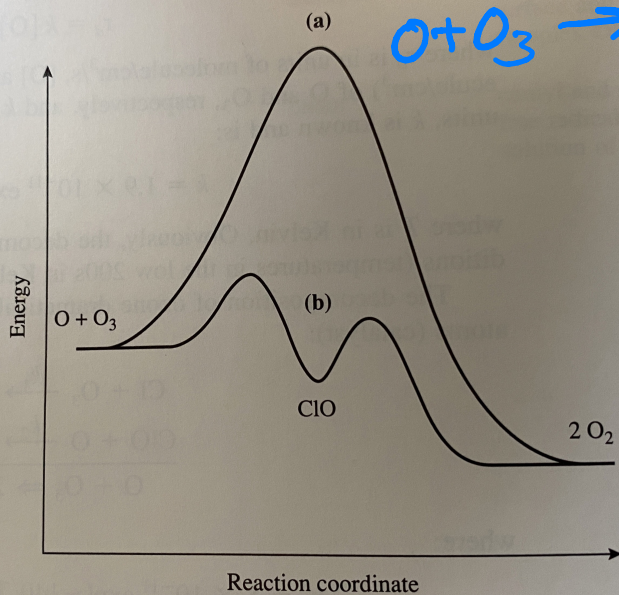


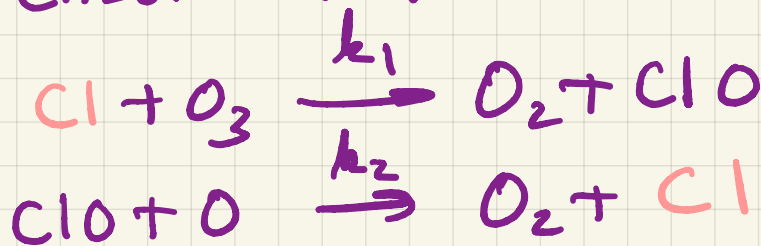
Figure 4.1.2 | Energy versus reaction coordinate for ozone decomposition. (a) direct reaction, (b) Cl catalyzed reaction.

$$r_d = k[O][O_3]$$

$$k = 1.9 \times 10^{-11} \exp\left(-\frac{2300}{T}\right)$$

"SLOW" !!

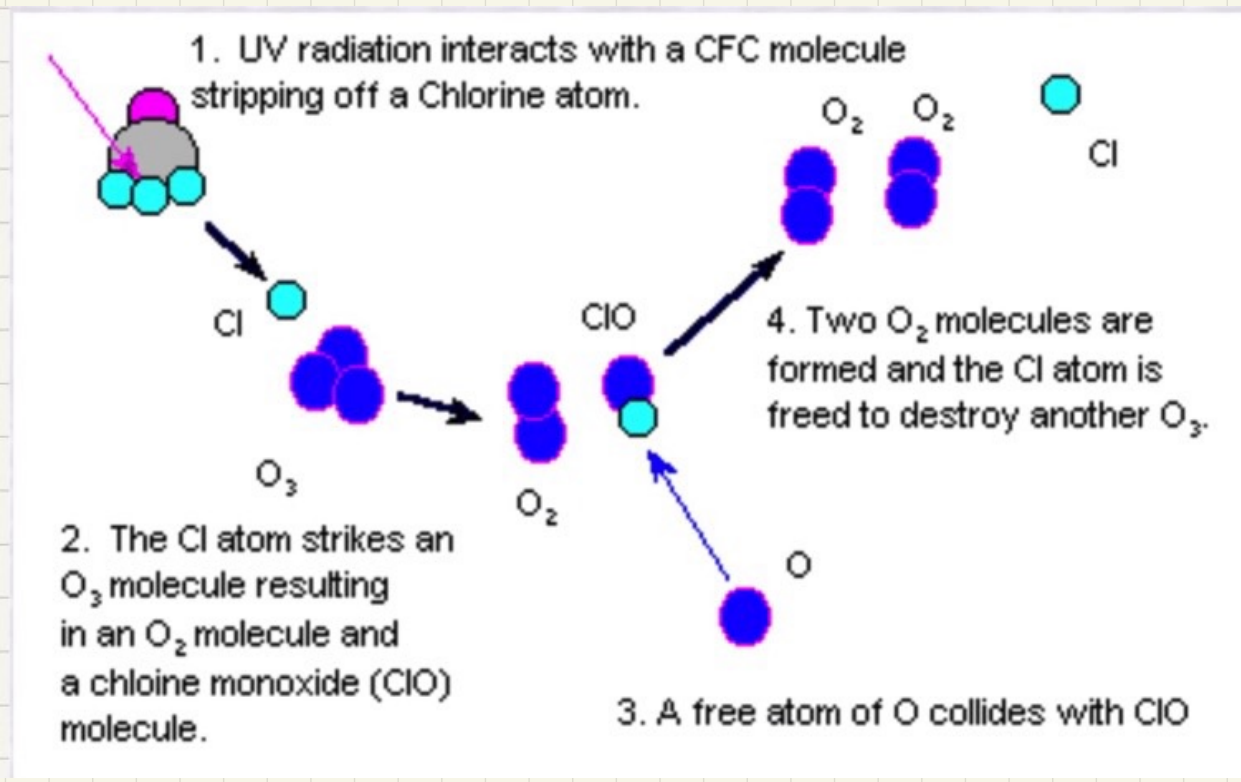
IF CHLORINE IS PRESENT...



$$k_1 = 5 \times 10^{-11} \exp\left(-\frac{140}{T}\right)$$

$$k_2 = 1.1 \times 10^{-10} \exp\left(-\frac{220}{T}\right)$$

$\frac{\text{cm}^3}{\text{s MOLECULE}}$



. Paul Crutzen, Mario J. Molina and F. Sherwood Rowland won the Nobel prize in chemistry

CAN SHOW . . .

$$r_c = \frac{k_1 k_2 [O][O_3] ([Cl] + [ClO])}{k_1 [O_3] + k_2 [O]}$$

BUT $[O] \ll [O_3]$ $k_1 \cong k_2$

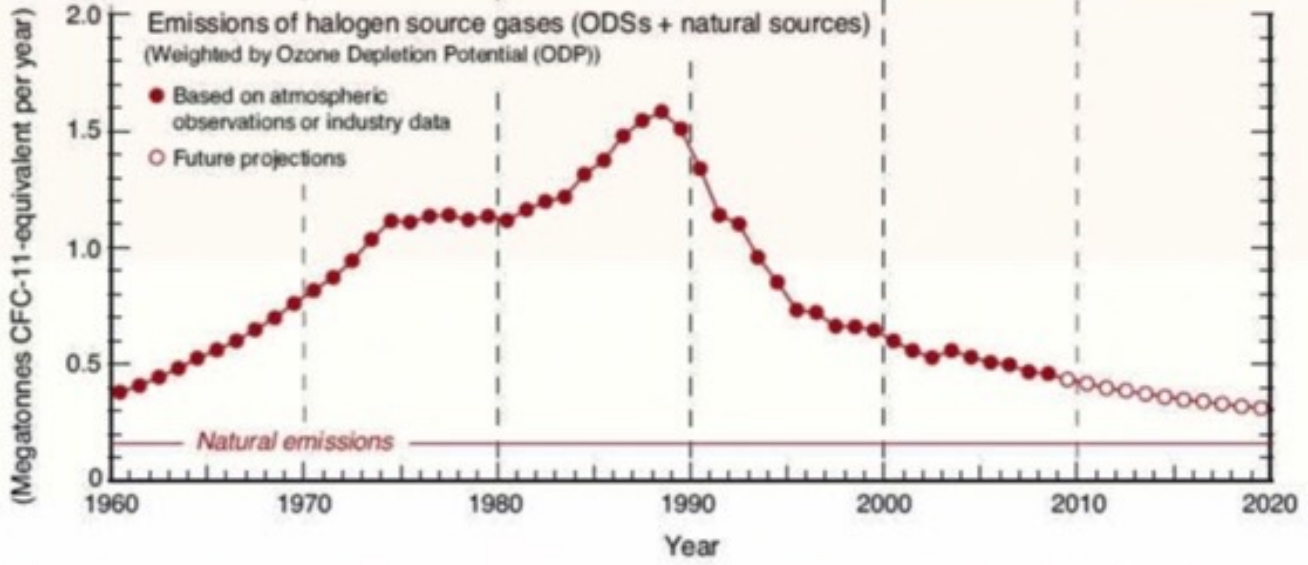
$$r_c = k_2 ([O][Cl] + [ClO])$$

CATALYZED $\frac{r_c}{r_d} = \frac{k_2 ([Cl] + [ClO])}{k_3 [O_3]}$
DIRECT

ALSO $\frac{[Cl] + [ClO]}{[O_3]} \sim 10^{-3}$

$$\frac{r_c}{r_d} = \frac{k_2}{k_3} \times 10^{-3} = 6 \times 10^{-3} \exp\left(\frac{2080}{T}\right)$$

Ⓢ $T = 200 \text{ K}$, $\frac{r_c}{r_d} = 200$



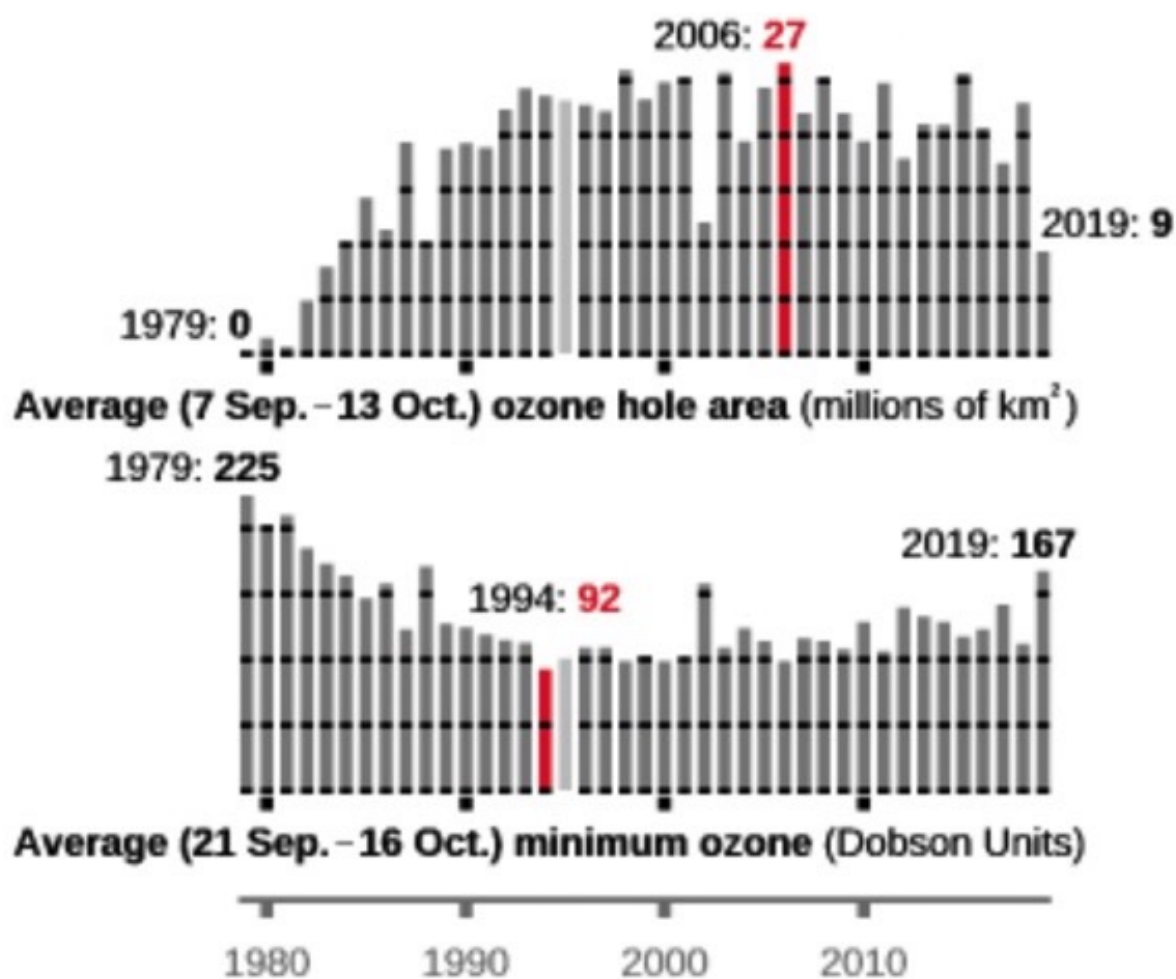
2019 Ozone Hole is the Smallest on Record Since Its Discovery



Abnormal weather patterns in the upper atmosphere over Antarctica dramatically limited ozone depletion in September and October, resulting in the smallest ozone hole observed since 1982, NASA and NOAA scientists reported today.

"It's great news for ozone in the Southern Hemisphere," said Paul Newman, chief scientist for Earth Sciences at NASA's Goddard Space Flight Center in Greenbelt, Maryland. "But it's important to recognize that what we're seeing this year is due to warmer stratospheric temperatures. It's not a sign that atmospheric ozone is suddenly on a fast track to recovery."

Annual records



FINALLY... THE REAL NAME OF THE CHAPTER...

THE STEADY-STATE APPROXIMATION

CONSIDER



$$C_A(t=0) = C_{A0}, \quad C_B(0) = 0, \quad C_C(0) = 0$$

$$\frac{dx}{dt} = -k_1 x$$

$$\frac{dy}{dt} = k_1 x - k_2 y$$

$$\frac{dw}{dt} = k_2 y$$

$$x = \frac{C}{C_{A0}}$$
$$y = \frac{C_B}{C_{A0}}$$
$$w = \frac{C_C}{C_{A0}}$$

C_A^0 denotes the concentration of A. The differential equations for this system are:

$$\frac{dx}{dt} = -k_1x \quad \frac{dy}{dt} = k_1x - k_2y \quad \frac{dw}{dt} = k_2y \quad (4.2.1)$$

where $x = C_A/C_A^0$, $y = C_B/C_A^0$, and $w = C_C/C_A^0$. Integration of Equation (4.2.1) with $x = 1$, $y = 0$, $w = 0$ at $t = 0$ gives:

$$\left. \begin{aligned} x &= \exp(-k_1t) \\ y &= \frac{k_1}{k_2 - k_1} [\exp(-k_1t) - \exp(-k_2t)] \\ w &= 1 - \frac{k_2}{k_2 - k_1} \exp(-k_1t) + \frac{k_1}{k_2 - k_1} \exp(-k_2t) \end{aligned} \right\} (4.2.2)$$

BEING GOOD CHEMICAL ENGINEERS WE PLOT THE RESULT

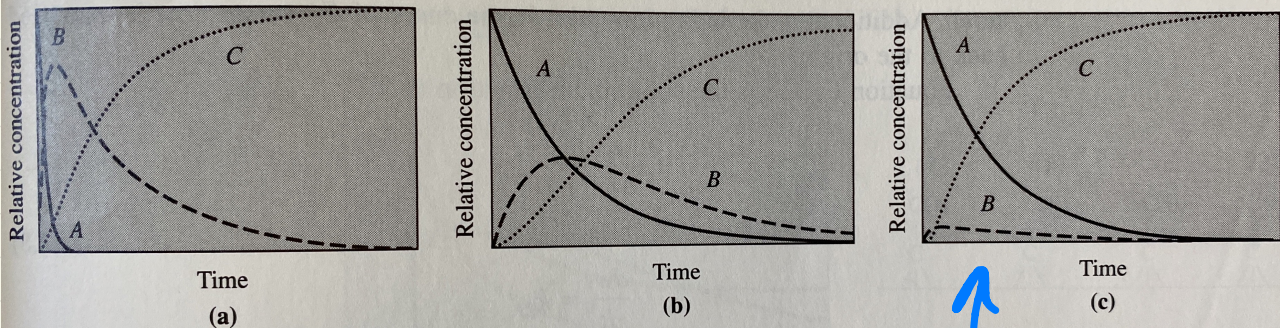
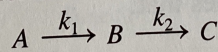


Figure 4.2.1 | Two first-order reactions in series.



(a) $k_2 = 0.1 k_1$, (b) $k_2 = k_1$, (c) $k_2 = 10 k_1$.

↑ THIS LOOKS INTERESTING

NOT MUCH B, AND DOESN'T CHANGE..
($k_2 \gg k_1$)

$$X = \exp(-k_1 t)$$

$$y = \frac{k_1}{k_2} \exp(-k_1 t)$$

$$W = 1 - \exp(-k_1 t)$$

THIS IS THE SOLUTION TO:

$$\frac{dx}{dt} = -k_1 x$$

$$0 = k_1 x - k_2 y$$

$$\frac{dw}{dt} = k_2 y$$

THUS WE PRESUME:

$$\frac{dy}{dt} = 0$$

"STEADY-STATE"
ASSUMPTION.

WE WILL USE ("TRYOUT") THIS
SIMPLIFICATION FOR
REACTION INTERMEDIATES ...